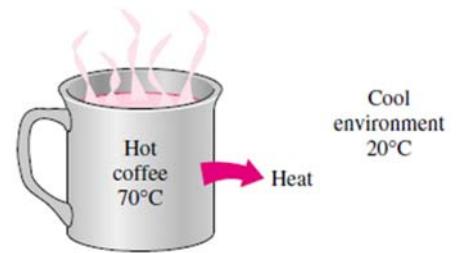


Thermodynamics I

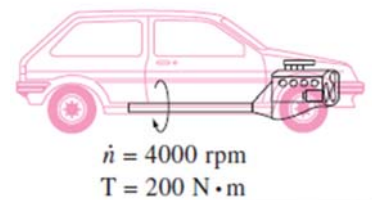


Energy and Energy Analysis

$$\int_1^2 \delta W = W_{12}$$

$$\int_1^2 dV = V_2 - V_1 = \Delta V$$

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Content



- Introduction
- Work and Kinetic Energy
- Potential Energy
- Internal Energy
- Energy Transfer by Heat
- Energy Transfer by Work



Introduction

- Energy is a fundamental concept of thermodynamics and one of the most significant aspects of engineering analysis
- Energy exists in numerous forms such as thermal, mechanical, electric, chemical, and nuclear. Even mass can be considered a form of energy.
- Energy can be transferred to or from a closed system (a fixed mass) in two distinct forms: *heat* and *work*.
- For control volumes, energy can also be transferred by mass flow. An energy transfer to or from a closed system is *heat* if it is caused by a temperature difference. Otherwise
- It is *work*, and it is caused by a force acting through a distance.



Work and Kinetic Energy

- A body of mass m (a closed system) the velocity of the center of mass of the body is \mathbf{V} .
- The body is acted on by a resultant force \mathbf{F} ,

$$F_s = m \frac{dV}{dt}$$

Using the chain rule,

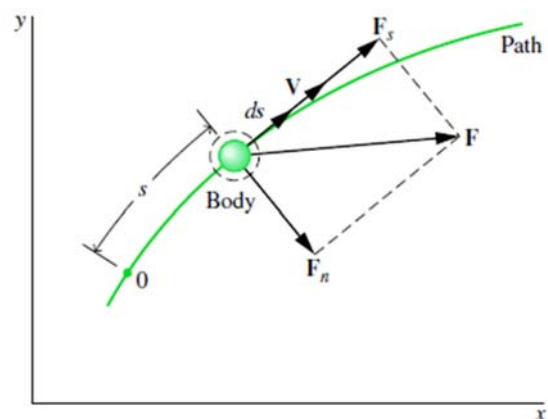
$$F_s = m \frac{dV}{ds} \frac{ds}{dt} = mV \frac{dV}{ds}$$

where $V = ds/dt$.

Rearranging and integrating from s_1 to s_2 gives

$$\int_{V_1}^{V_2} mV dV = \int_{s_1}^{s_2} F_s ds$$

$$\int_{V_1}^{V_2} mV dV = \left. \frac{1}{2} mV^2 \right|_{V_1}^{V_2} = \frac{1}{2} m(V_2^2 - V_1^2) \quad \text{The change in kinetic energy,}$$



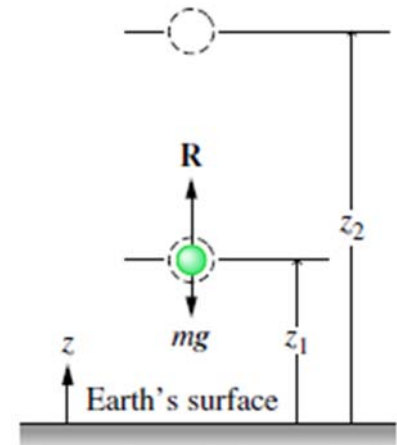
Work and Kinetic Energy

$$W = \int_{s_1}^{s_2} \mathbf{F} \cdot d\mathbf{s}$$

$$\frac{1}{2}m(V_2^2 - V_1^2) = \int_{s_1}^{s_2} \mathbf{F} \cdot d\mathbf{s}$$

Potential Energy

- A body of mass m that moves vertically from an elevation z_1 to an elevation z_2 relative to the surface of the earth.
- Two forces are shown acting on the system: a downward force due to gravity with magnitude mg and a vertical force with magnitude R representing the resultant of all *other* forces acting on the system



Potential Energy

$$\frac{1}{2}m(V_2^2 - V_1^2) = \int_{z_1}^{z_2} R dz - \int_{z_1}^{z_2} mg dz$$

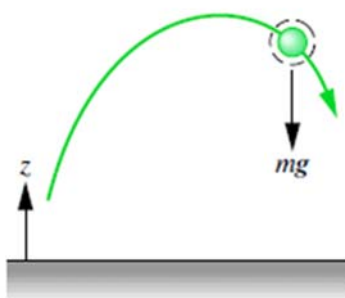
The second integral

$$\int_{z_1}^{z_2} mg dz = mg(z_2 - z_1) \quad \text{The change in potential energy}$$

rearranging

$$\frac{1}{2}m(V_2^2 - V_1^2) + mg(z_2 - z_1) = \int_{z_1}^{z_2} R dz$$

- The macroscopic energy of an object changes with velocity and elevation



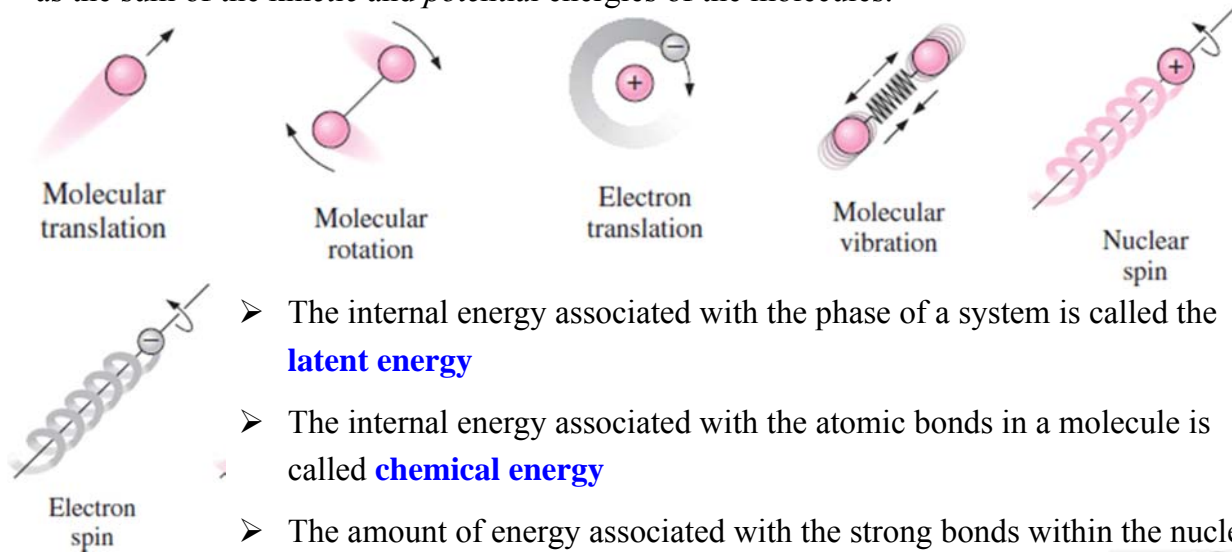
$$\frac{1}{2}mV_2^2 + mgz_2 = \frac{1}{2}mV_1^2 + mgz_1$$

The sum of the kinetic and gravitational potential energies remains constant.



Internal Energy

- Internal energy is defined earlier as the sum of all the *microscopic* forms of energy of a system.
- It is related to the *molecular structure* and the degree of *molecular activity* and can be viewed as the sum of the *kinetic* and *potential* energies of the molecules.



- The internal energy associated with the phase of a system is called the **latent energy**
- The internal energy associated with the atomic bonds in a molecule is called **chemical energy**
- The amount of energy associated with the strong bonds within the nucleus of the atom itself is called **nuclear energy**

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Mechanical Energy

- The **mechanical energy** can be defined as *the form of energy that can be converted to mechanical work completely and directly by an ideal mechanical device such as an ideal turbine.*
- Kinetic and potential energies are the familiar forms of mechanical energy.
- Thermal energy is not mechanical energy.
- The mechanical energy of a flowing fluid can be expressed on a unit mass basis as

$$e_{\text{mech}} = \frac{P}{\rho} + \frac{V^2}{2} + gz$$

and

$$\dot{E}_{\text{mech}} = \dot{m}e_{\text{mech}} = \dot{m} \left(\frac{P}{\rho} + \frac{V^2}{2} + gz \right)$$

and

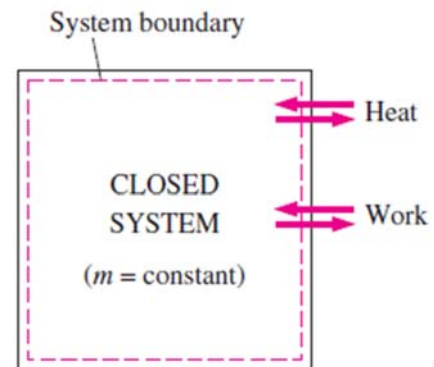
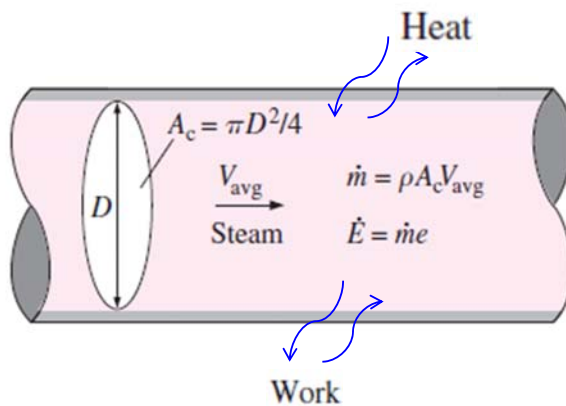
$$\Delta \dot{E}_{\text{mech}} = \dot{m} \Delta e_{\text{mech}} = \dot{m} \left(\frac{P_2 - P_1}{\rho} + \frac{V_2^2 - V_1^2}{2} + g(z_2 - z_1) \right)$$

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Heat and work

- The only two forms of energy interactions associated with a closed system are **heat transfer** and **work**.
- An energy interaction is heat transfer if its driving force is a temperature difference.
- Otherwise it is work.
- A control volume can also exchange energy via mass transfer since any time mass is transferred into or out of a system, the energy content of the mass is also transferred with it.

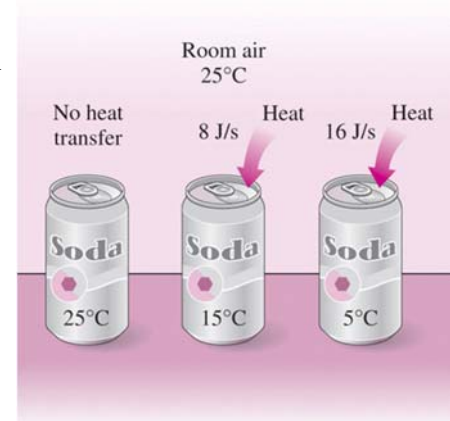


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Energy Transfer by heat

- **Heat** is defined as *the form of energy that is transferred between two systems (or a system and its surroundings) by virtue of a temperature difference.*
- Temperature difference is the driving force for heat transfer. The larger the temperature difference, the higher is the rate of heat transfer.
- Heat is energy in transition. It is recognized only as it crosses the boundary of a system



- A process during which there is no heat transfer is called an **adiabatic process**.
- There are two ways a process can be adiabatic:
 - Either the system is well insulated so that only a negligible amount of heat can pass through the boundary, or
 - Both the system and the surroundings are at the same temperature and therefore there is no driving force (temperature difference) for heat transfer.

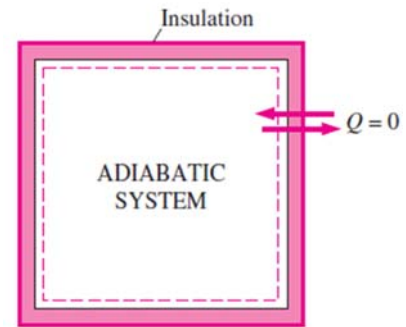
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Energy Transfer by Heat

- Even though there is no heat transfer during an adiabatic process, the energy content and thus the temperature of a system can still be changed by other means such as work.
- The amount of heat transferred during the process between two states (states 1 and 2) is denoted by Q_{12} , or just Q .
- Heat transfer *per unit mass* of a system is denoted q and is determined from

$$q = \frac{Q}{m} \quad (\text{kJ/kg})$$



- The heat transfer rate is denoted \dot{Q} , where the over dot stands for the time derivative, or “per unit time.” The heat transfer rate \dot{Q} has the unit kJ/s, which is equivalent to kW.
- When \dot{Q} varies with time, the amount of heat transfer during a process is determined by integrating \dot{Q} over the time interval of the process:

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Energy Transfer by Heat

$$Q = \int_{t_1}^{t_2} \dot{Q} dt \quad (\text{kJ}) \quad \text{The net *rate of heat transfer*}$$

- To perform the integration, it would be necessary to know how the rate of heat transfer varies with time.

When \dot{Q} remains constant during a process,

$$Q = \dot{Q} \Delta t \quad (\text{kJ})$$

where $\Delta t = t_2 - t_1$ is the time interval during which the process takes place.

- Heat transfer *into* a system is taken to be *positive*, and heat transfer *from* a system is taken as *negative*.

$Q > 0$: heat transfer *to* the system

$Q < 0$: heat transfer *from* the system

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Energy Transfer by Heat

- The value of a heat transfer depends on the details of a process and not just the end states.
- Thus, like work, **heat is not a property**, and its differential is written as δQ , i.e. **Path functions have inexact differentials**.
- The amount of energy transfer by heat for a process is given by the integral

$$Q = \int_1^2 \delta Q$$

$Q = 30 \text{ kJ}$
 $m = 2 \text{ kg}$
 $\Delta t = 5 \text{ s}$

30 kJ heat

↓

$\dot{Q} = 6 \text{ kW}$
 $q = 15 \text{ kJ/kg}$

- In some cases it is convenient to use the **heat flux**, \dot{q} , which is the heat transfer rate per unit of system surface area,

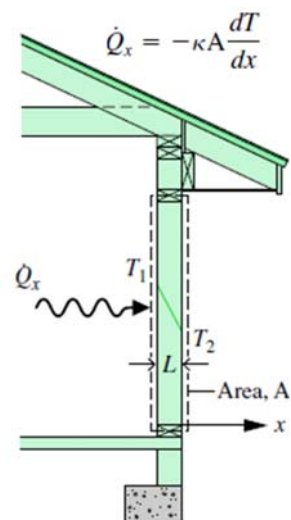
$$\dot{Q} = \int_A \dot{q} dA$$

where A represents the area on the boundary of the system where heat transfer occurs.

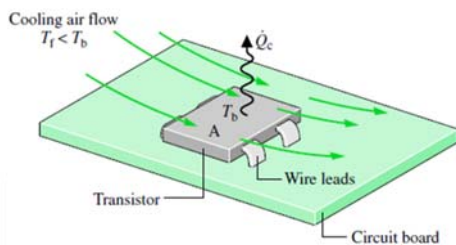


Energy Transfer by Heat

- Heat is transferred by three mechanisms: conduction, convection, and radiation.
- **Conduction** is the transfer of energy from the more energetic particles of a substance to the adjacent less energetic ones as a result of interaction between particles.
- **Convection** is the transfer of energy between a solid surface and the adjacent fluid that is in motion, and it involves the combined effects of conduction and fluid motion.
- **Radiation** is the transfer of energy due to the emission of electromagnetic waves (or photons).



$$\dot{Q}_x = -\kappa A \left[\frac{T_2 - T_1}{L} \right]$$



$$\dot{Q}_c = hA(T_b - T_f)$$



Energy Transfer by Work

- Work, like heat, is an energy interaction between a system and its surroundings.
- Then we can simply say that an energy interaction that is not caused by a temperature difference between a system and its surroundings is work.
- Therefore, *if the energy crossing the boundary of a closed system is not heat, it must be work.*
- More specifically, *work is the energy transfer associated with a force acting through a distance.*
- Examples are : A rising piston, a rotating shaft, and an electric wire crossing the system boundaries are all associated with work interactions.
- The work done during a process between states 1 and 2 is denoted by W_{12} , or simply W .
- The work done *per unit mass* of a system is denoted by w and is expressed as

$$w = \frac{W}{m} \quad (\text{kJ/kg})$$

The work done *per unit time* is called **power** and is denoted \dot{W} kJ/s, or kW.

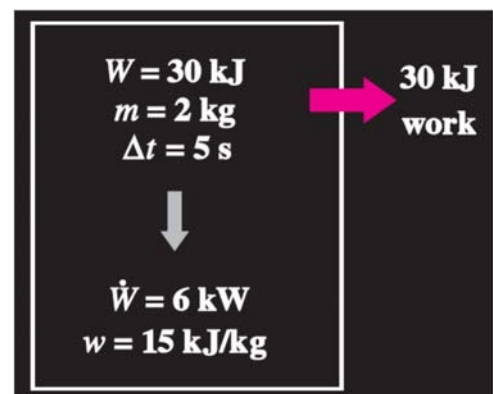


Energy Transfer by Work

$$W = \int_{t_1}^{t_2} \dot{W} dt = \int_{t_1}^{t_2} \mathbf{F} \cdot \mathbf{V} dt$$

$W < 0$: work done *on* the system

$W > 0$: work done *by* the system



Heat and work are *directional quantities*, and thus the complete description of a heat or work interaction requires the specification of both the *magnitude* and *direction*

- **Work is also Path functions have inexact differentials, δW ,**

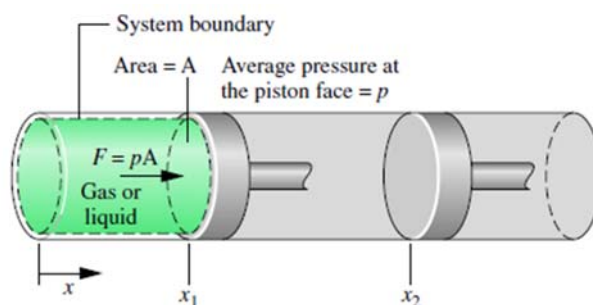
$$\int_1^2 \delta W = W_{12} \quad (\text{not } \Delta W) \quad \text{and} \quad \delta W \text{ is not } W_2 - W_1$$



Energy Transfer by Work

Expansion or Compression Work

- As the gas expands its pressure exerts a normal force on the piston.
- p denote the pressure acting at the interface between the gas and the piston., A is the area of the piston face.
- The force exerted by the gas on the piston is simply the product pA ,
- The work done by the system as the piston is displaced a distance dx is



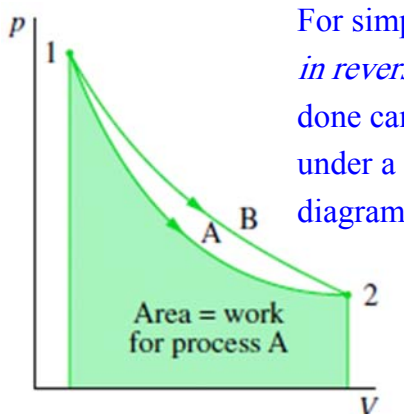
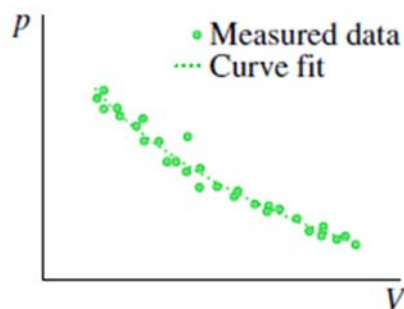
For a compression, dV is negative,
 dV is positive when volume increases,

$$\delta W = pA dx \quad \longrightarrow \quad \delta W = p dV$$

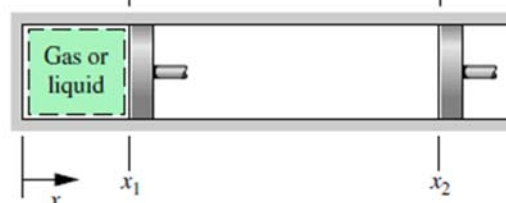
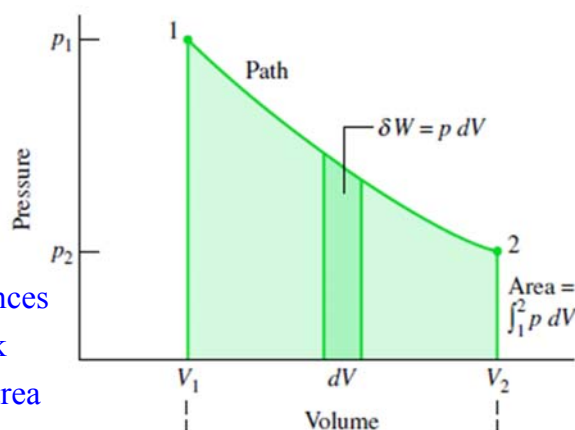
$$\longrightarrow \quad W = \int_{V_1}^{V_2} p dV$$



Energy Transfer by Work



For simple compressible substances *in reversible processes*, the work done can be represented as the area under a curve in a pressure-volume diagram



Energy Transfer by Work

Shaft Work

- A force F acting through a moment arm r generates a torque T

$$T = Fr \rightarrow F = \frac{T}{r}$$

This force acts through a distance s ,

$$s = (2\pi r)n$$

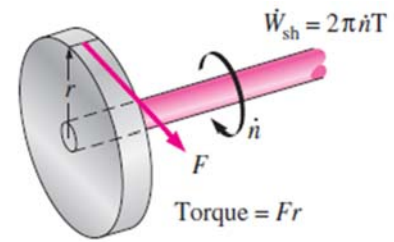
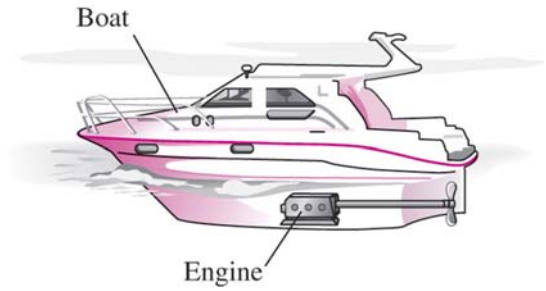
- For a specified constant torque, the work done during n revolutions :

$$W_{sh} = Fs = \left(\frac{T}{r}\right)(2\pi rn) = 2\pi nT$$

- The power transmitted through the shaft is the shaft work done per unit time,

$$\dot{W}_{sh} = 2\pi nT \quad (\text{kW})$$

where n is the number of revolutions per unit time.



Energy Transfer by Work

Electrical Work

$$\dot{W}_e = VI$$

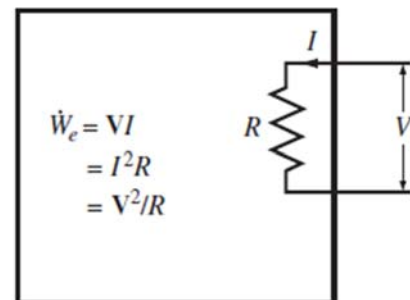
where \dot{W}_e is the **electrical power** and I is the *current*

the electrical work done during a time interval Δt is

$$W_e = \int_1^2 VI dt \quad (\text{kJ})$$

When both V and I remain constant during the time interval Δt ,

$$W_e = VI \Delta t \quad (\text{kJ})$$



Energy Transfer by Work

Spring Work

- When the length of the spring changes by a differential amount dx under the influence of a force F , the work done is

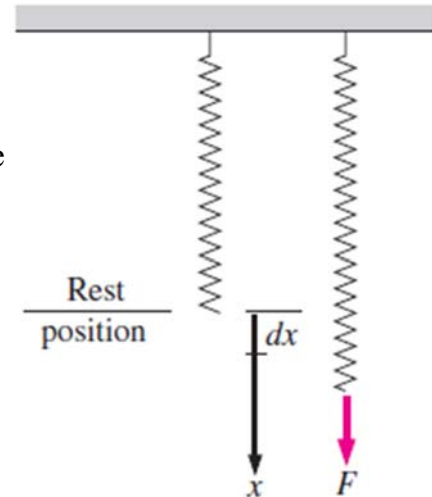
$$\delta W_{\text{spring}} = F dx$$

For linear elastic springs,

$$F = kx \quad (\text{kN})$$

➔
$$W_{\text{spring}} = \frac{1}{2}k(x_2^2 - x_1^2)$$

where x_1 and x_2 are the initial and the final displacements of the spring,



Energy Transfer by Work

Work Done on Elastic Solid Bars

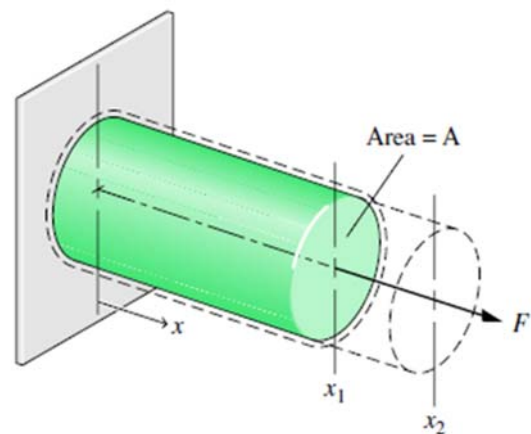
- For solid bar under tension.
- The bar is fixed at $x = 0$,
- The force F is applied at the other end.

$$F = \sigma_n A,$$

Where A is the cross-sectional area of the bar and σ is the *normal stress acting at the end* of the bar.

- The work done as the end of the bar moves a distance dx is given by

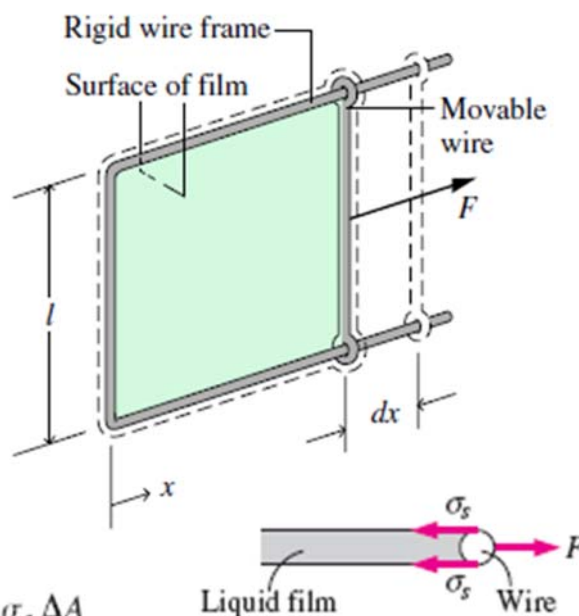
$$W_{\text{elastic}} = \int_1^2 F dx = \int_1^2 \sigma_n A dx$$



Energy Transfer by Work

Work Associated with the Stretching of a Liquid Film

- A force F needs to be applied on the movable wire in the opposite direction to balance this pulling effect.
- The thin film in the device has two surfaces (the top and bottom surfaces) exposed to air. The length along which the tension acts in this case is $2b$.



$$F = 2b\sigma_s$$

$$W_{\text{surface}} = \int_1^2 \sigma_s dA$$

$$W = \text{Force} \times \text{Distance} = F \Delta x = 2b\sigma_s \Delta x = \sigma_s \Delta A$$

where $dA = 2b dx$ is the change in the surface area of the film.



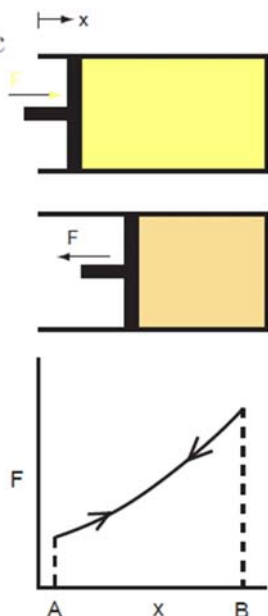
Energy Transfer by Work

- Work is said to be reversible if and only if the work done in moving dx is exactly recovered if the motion is reversed.

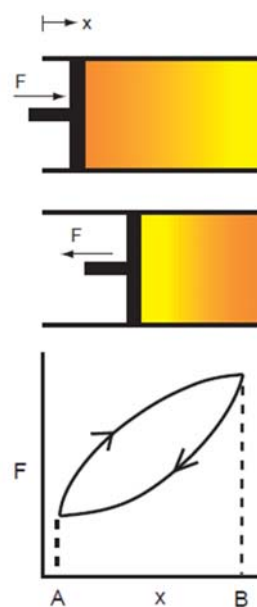
$$\text{Forward: } dW_{\text{forward}} = \mathbf{F}(\mathbf{x}, \mathbf{v}) \cdot d\mathbf{x}$$

$$\text{Reverse: } dW_{\text{reverse}} = -dW_{\text{forward}} = \mathbf{F}(\mathbf{x}, -\mathbf{v}) \cdot (-d\mathbf{x}).$$

Quasi-static



Rapid compression and expansion of a gas



Summary

- Both are recognized at the boundaries of a system as they cross the boundaries. That is, both heat and work are *boundary* phenomena.
- Systems possess energy, but not heat or work.
- Both are associated with a *process*, not a state. Unlike properties, heat or work has no meaning at a state.
- Both are *path functions* (i.e., their magnitudes depend on the path followed during a process as well as the end states).

Properties are point functions have exact differentials (d).

$$\int_1^2 dV = V_2 - V_1 = \Delta V$$

Path functions have inexact differentials (δ)

$$\int_1^2 \delta W = W_{12} \quad (\text{not } \Delta W)$$

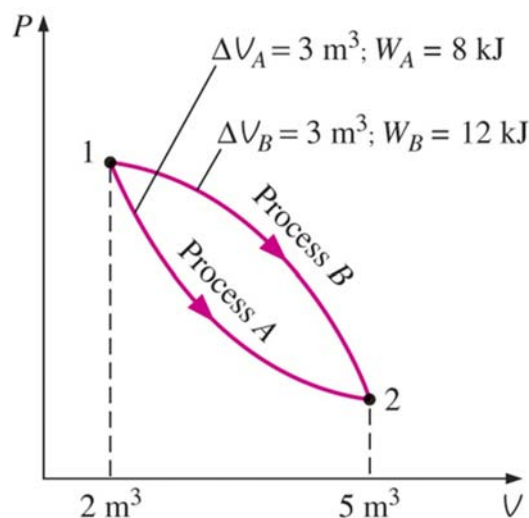
$$\int_1^2 \delta Q = Q_{12} \quad (\text{not } \Delta Q)$$



Summary

Heat vs. Work

- ✓ Both are recognized at the boundaries of a system as they cross the boundaries. That is, both heat and work are *boundary* phenomena.
- ✓ Systems possess energy, but not heat or work.
- ✓ Both are associated with a *process*, not a state.
- ✓ Unlike properties, heat or work has no meaning at a state.
- ✓ Both are *path functions* (i.e., their magnitudes depend on the path followed during a process as well as the end states).



Properties are point functions; but heat and work are path functions (their magnitudes depend on the path followed).

